

```

d1 = 1. (*unit length of beam*)
nm = 21 (*number of modes*)
For[m = 1, m < nm + 1, m++,
  Print[m ". mode"];
  L =  $\frac{(2 * m + 1) \pi}{2}$ ; (*this expression is not true for lower modes,
  but in literature it's recommended for 4, 5 and higher modes*)
  Print[Cos[L] Cosh[L] - 1.]; (*transcendent equation,
  from which we obtain coefficients L, it should be equal zero*)
  Print[Plot[Sin[ $\frac{L * y}{d1}$ ] - Sinh[ $\frac{L * y}{d1}$ ] -  $\frac{\text{Sin}[L] - \text{Sinh}[L]}{\text{Cos}[L] - \text{Cosh}[L]} * (\text{Cos}[\frac{L * y}{d1}] - \text{Cosh}[\frac{L * y}{d1}])$ ], {y, 0, d1}]]]

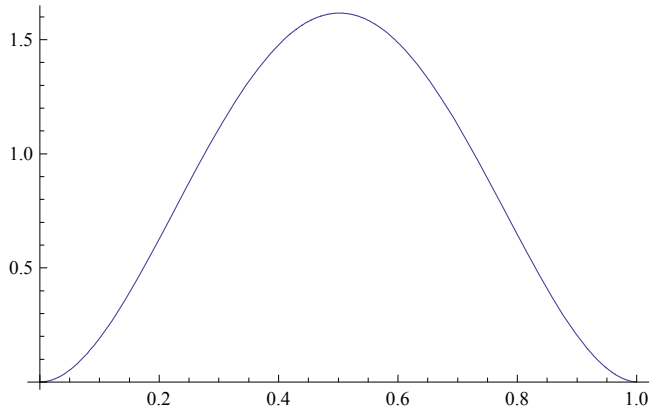
```

1.

21

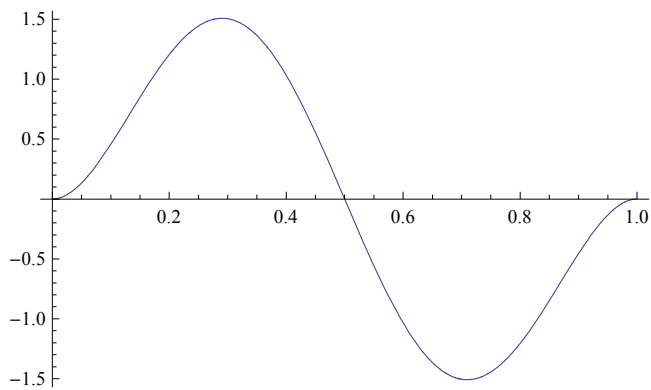
. mode

-1.



2 . mode

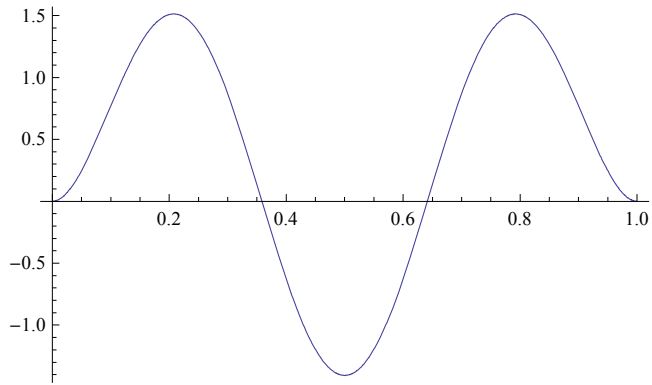
-1.



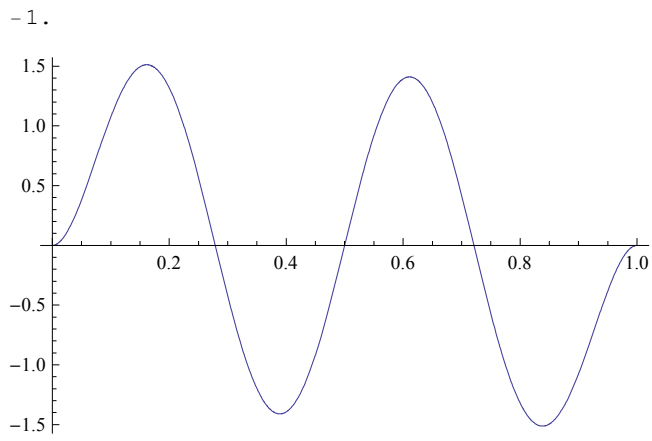
3 . mode

-1.

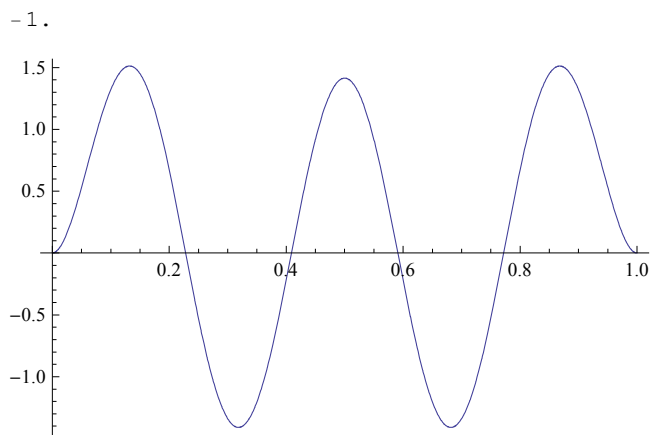
2 | modes of clamped-clamped beam.nb



4 . mode

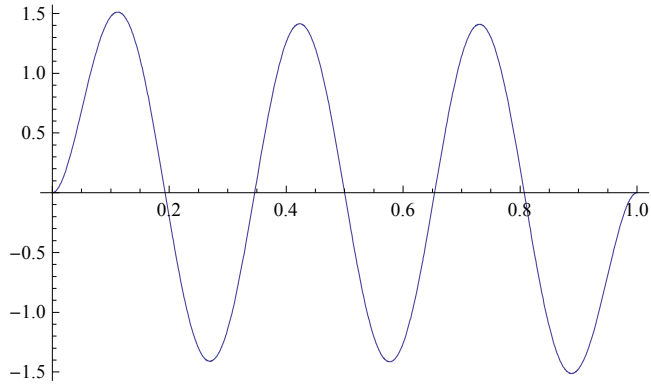


5 . mode



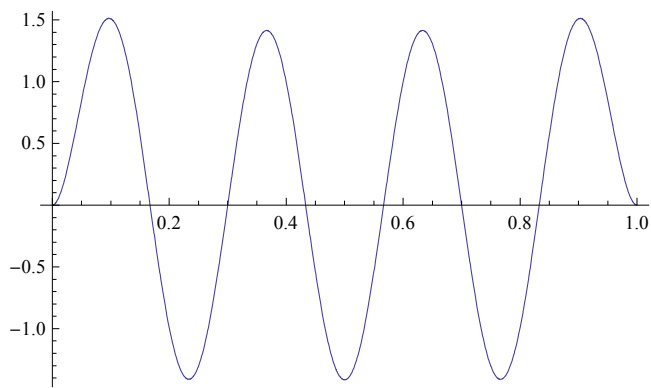
6 . mode

-1.



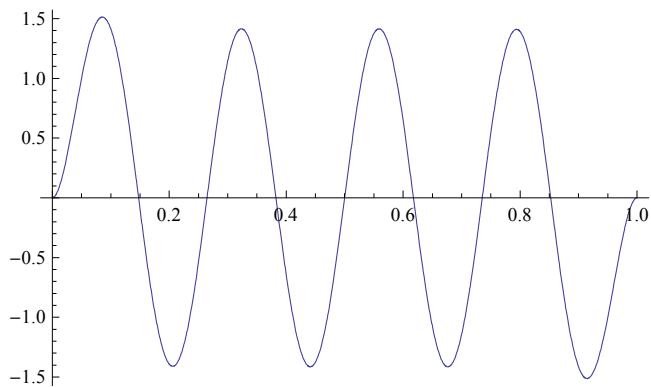
7 . mode

-1.00002



8 . mode

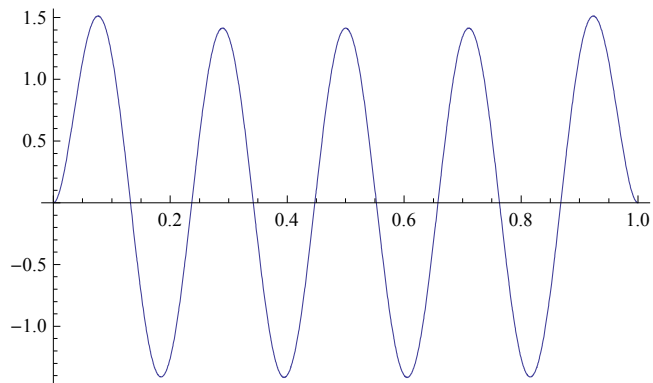
-1.00015



9 . mode

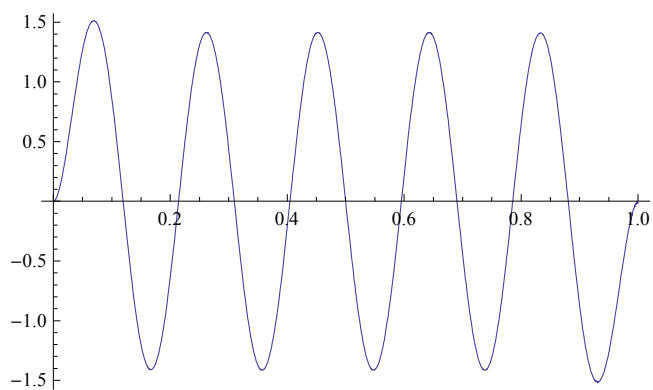
-1.01345

4 | modes of clamped-clamped beam.nb



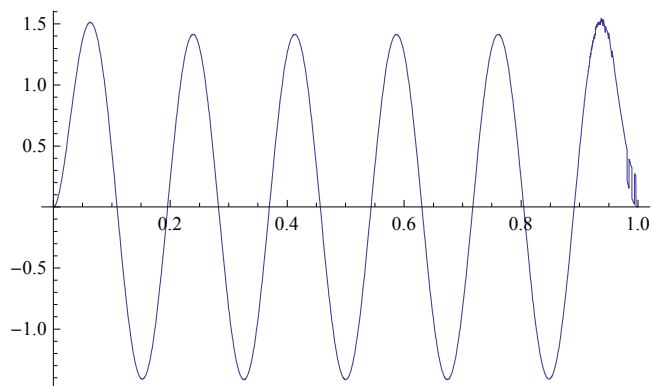
10 . mode

-1.05194



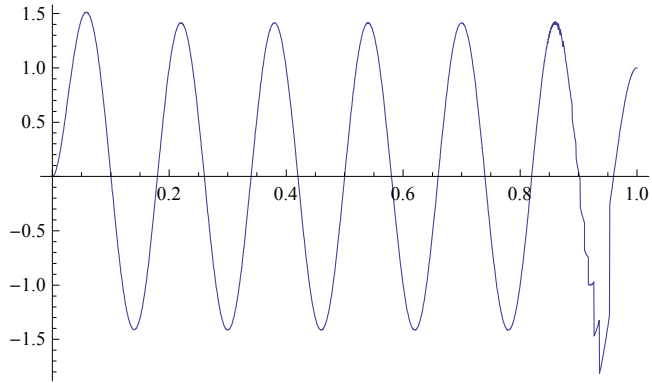
11 . mode

-8.80489

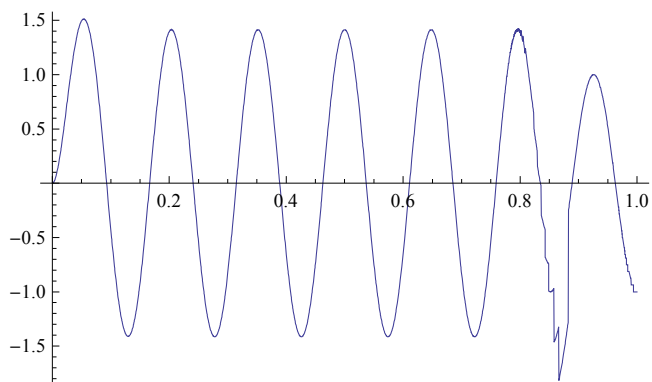


12 . mode

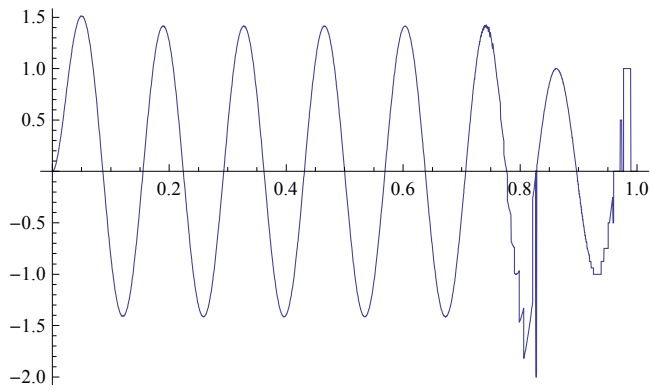
-14.9255



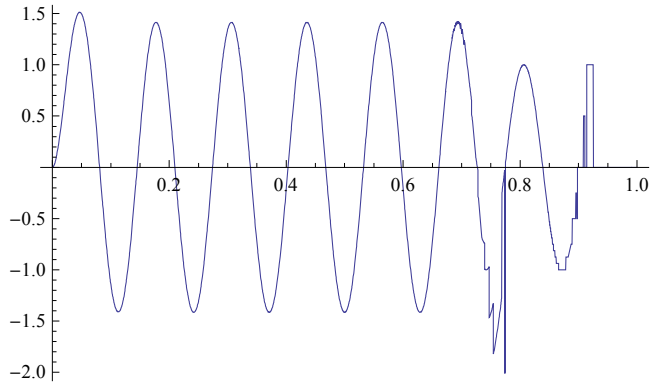
13 . mode
-4501.89



14 . mode
-19.7977

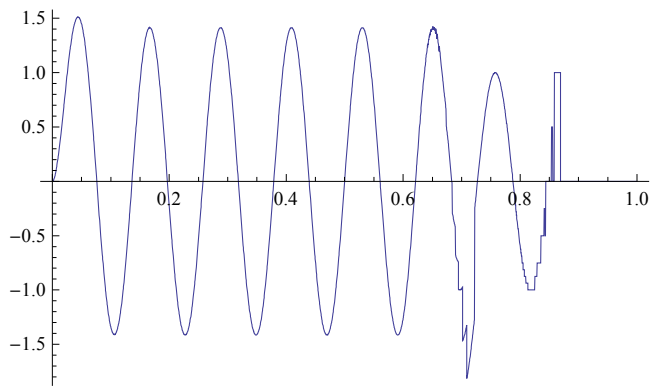


15 . mode
 -2.58231×10^6



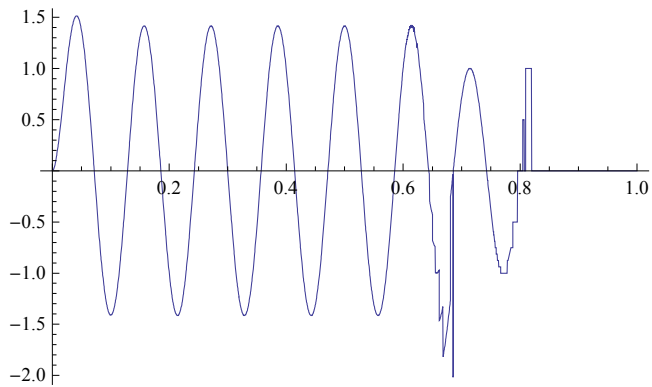
16 . mode

3.97303×10^6



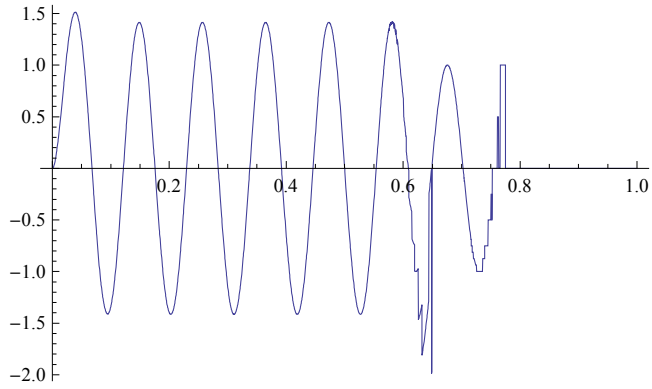
17 . mode

-1.47498×10^9



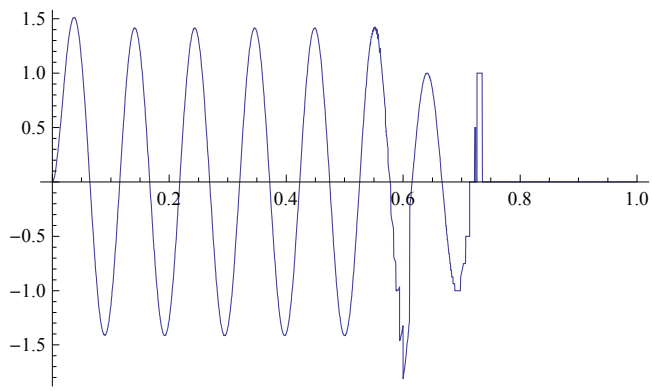
18 . mode

4.26044×10^9



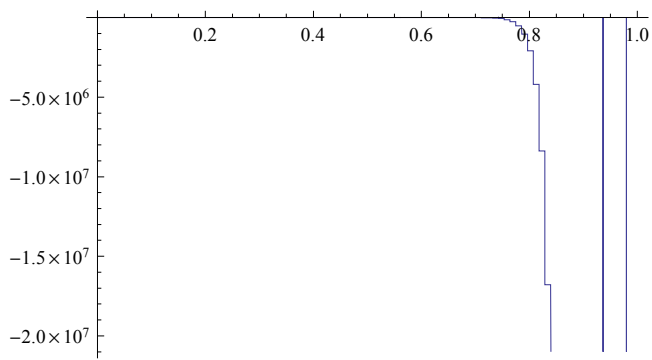
19 . mode

-8.39196×10^{11}



20 . mode

3.65577×10^{13}



21 . mode

-4.75813×10^{14}

